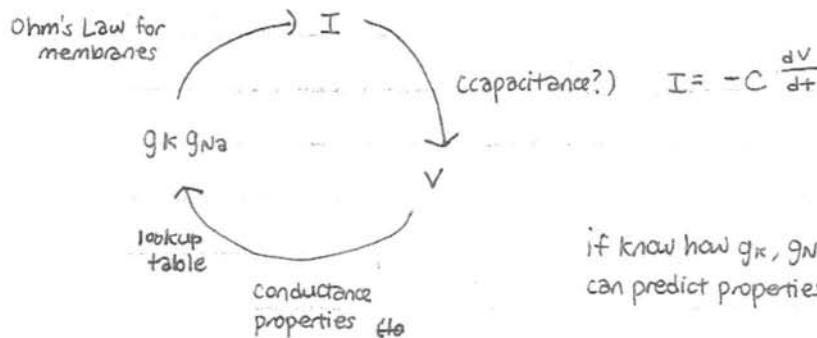


Lecture notes courtesy of Wyan-Ching Mimi Lee. Used with permission.

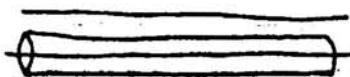
2/18/04

- 2 batteries (Nernst batteries) :  $E_{Na}$ ,  $E_K$  (hooked up to two variable conductances)
- correction at high negative potentials due to lots more sodium outside, inward drive

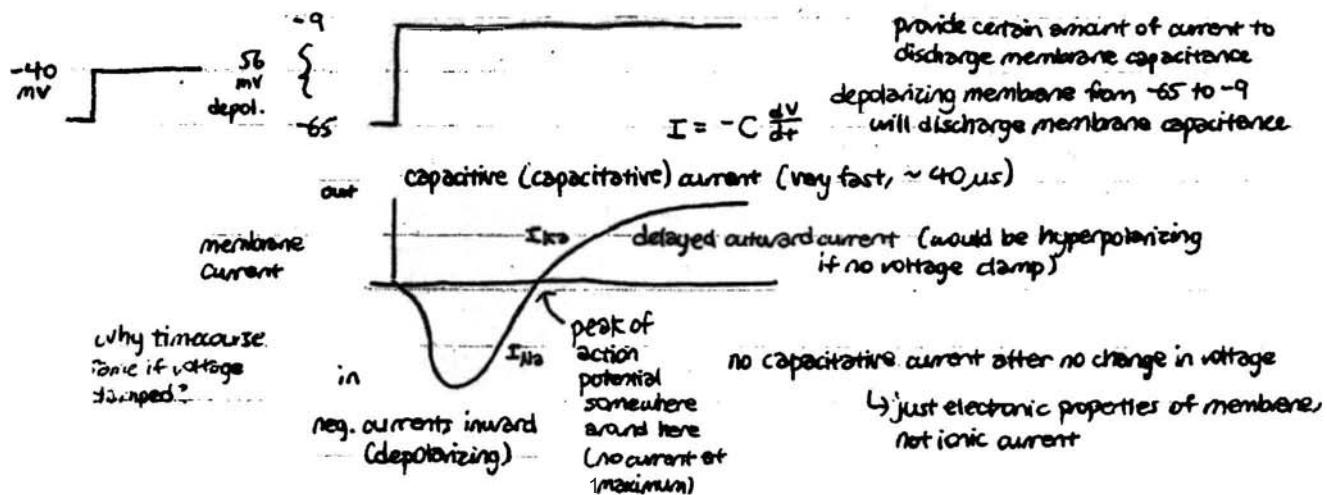
Ohm's Law for Membranes -  $I = g_K (V_m - E_K) + g_{Na} (V_m - E_{Na})$  $I = gV$       ↗ voltage important for  $I_K$  = difference between  $V_m$  and where  $K^+$  wants it to beif know how  $g_K$ ,  $g_{Na}$  vary with voltage,  
can predict properties of excitable membrane

- current is driving force for changing voltage  
voltage changes conductance

- membrane action potential : not propagated, all happens at once



- H+H injected current, got membrane action potential w/ same properties as propagated action potential



$$I_{Na} = g_{Na} (V_m - E_{Na})$$

$\hookrightarrow +52 \text{ mV}$

inward current when  $V_m$  more negative

at  $V_m = E_{Na}$ , 0 net  $I_{Na}$

more positive  $V_m$  than  $E_{Na}$ ,  $I_{Na}$  becomes positive (outward)

$\hookrightarrow$  reversal potential

Nernst equation says ratio of ion gradient predicts reversal potential

at  $V_m = E_{Na}$ , no  $I_{Na}$ , your I trace is just  $I_K$

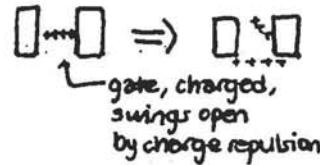
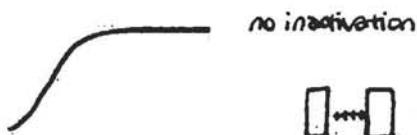
- but to do this at other potentials, use drugs (eg TTX to block  $\text{Na}^+$  channels)

(TEA (positive ion, chemical)

that closes up  $K^+$  channels)

- to get conductance from current, divide by voltage  $g = \frac{I}{V} \leftarrow (V_m - E_{Na})$   
(see figure 8 in handout)

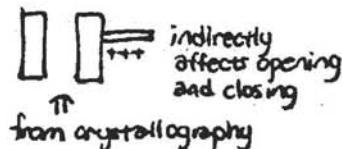
- $K^+$  conductance rise is exponential  
channels open faster, more  
channels open at higher  
depolarizations



gate will give you 1st order rate constant



- 4 charged entities in  $\text{Na}^+$  channel



- 4 gates give you correct curve ( $4^{\text{th}}$  order non)

eg 2 ms after depolarization,  $1/2$  gates are open,

$1/16$  channels will be open  
( $1/2 \times 1/2 \times 1/2 \times 1/2$ )

not exact fit, but almost

from steepness, know there must be  $\sim 6$   
charges on each gates

look up rate  
constant curve

$\text{Na}^+$  channel:



need 3 gates open (although there are 4) : M-gates

doesn't give you inactivation; that comes from h-gate (positively charged, swings slowly closed w/ depolarization, stays closed)  
- exponential decay, so only need 1 h-gate



- cytoplasmic loop = h-gate, chewing up cytoplasmic side w/ pronase will give  $\text{Na}^+$  conductance
- if use Ab., block inactivation
- restore inactivation by expressing peptide of h-gate region
- theoretical reconstruction of action potential based on H+H's predictions almost identical to real action potential
- bifurcation of  $V_m$  at threshold (can go either way)

threshold: no special molecular properties

- just place where  $I_K = I_{\text{Na}}$  (equilibrium)

- resting potential same way, no net current,  $I_K = I_{\text{Na}}$ , but is stable equilibrium

- however, threshold unstable equilibrium (move a little, see if new forces restore or push further)

like marble on hill (pushing in one direction accentuates displacement)

forces will restore  
like marble in hole

displace in all  
different direction

- at resting,  $I_{\text{Na}} = I_K$ , depolarizing a little doesn't change  $I_{\text{Na}}$  much, just moves  $V_m$  a little farther from  $E_K$ , get more outward  $I_K$  to repolarize  $I_K = g_K(V_m - E_K)$

- hyperpolarizing gives less outward  $I_K$

- threshold is depolarized enough to make  $g_{\text{Na}}$  exquisitely sensitive: increase in  $g_{\text{Na}}$  and  $I_{\text{Na}}$  w/ each depolarization

- little more depolarization increases  $g_{\text{Na}}$ ,  $g_{\text{Na}}$  wins race,  $I_{\text{Na}}$  wins race, positive feedback

- depolarizing after action potential gives:

1. absolute refractory period
  2. relative refractory period
- } due to inactivation of  $\text{Na}^+$  channels

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