

Experimental Atmospheric Chemistry (12.335/12.835)

Section 3, Lecture 2:

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- RH & Saruration
- Liquid water from 0 100% RH
- ✤ RH of 100% +
- ✤ Kelvin Köhler curve
- Cloud droplets
- CCN counter







A term used to describe the amount of water vapor that exists in a gaseous mixture of air and water vapor.

The relative humidity of an air-water mixture defined as the ratio of :

Relative Humidity (RH) =

Actual Vapor Density (amount of moisture in air) Saturation Vapor Density

(amount in saturated air)



X 100%

Relative Humidity ~ Saturation



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The relative humidity of an air-water mixture defined as the ratio of :





 $\frac{e}{e_{s}}$

= 1 saturated









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Deliquescence (DRH) - process by which a substance absorbs moisture from the atmosphere until it dissolves in the absorbed water and forms a solution.

Efflorescence (ERH) - spontaneous loss of water by a hydrated salt, which occurs when the aqueous vapor pressure of the salt is greater than the partial pressure of the water vapour in the air.



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Deliquescence and Efflorescence





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DRH is material specific DRH changes with T per "Clausius-Clapyeron" relation ERH is not predictable but follows nucleation theory





TABLE: Deliquescence Relative Humiditiesof Electrolyte Solutions at 298 K		TABLE: Efflorescence Relative Humidity at 298 K	
Salt	DRH (%)	Salt	ERH (%)
NaCl	75.3 <u>+</u> 0.1	NaCl	43 <u>+</u> 3
NaHSO ₄	52.0	NaNO ₃	Not Observed
NaNO ₃	74.3 <u>+</u> 0.4	Na ₂ SO ₄	56 <u>+</u> 1
Na ₂ SO ₄	84.2 <u>+</u> 0.4	NH ₄ Cl	45
NH ₄ Cl	80.0	Т	
NH ₄ HSO ₄	40.0	NH ₄ HSO ₄	Not Observed
$(NH_4)_3H(SO_4)_2$	69.0	$(NH_4)H(SO_4)_2$	35
NH ₄ NO ₃	61.8	NH ₄ NO ₃	Not Observed
(NH ₄) ₂ SO ₄	79.9 <u>+</u> 0.5	(NH ₄) ₂ SO ₄	35 <u>+</u> 2
KCI		KCI	59
Source: Tang (1980) and Tang and Munkelwitz (1993).		Source: Martin (2000).	·

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Deliquescence & Efflorescence of two Component Systems





Two (or more) components

More favorable state is solution sooner when a second component is added (regardless of the DRH)

DRH

NaCl (Sodium chloride) 75.3% KCl (potassium chloride) 84.2%

ERH

NaCl (Sodium chloride) 43% KCl (potassium chloride) 59%



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⁹ Seinfeld and Pandis, 2006



'Haze' or Deliquesced -> Droplet



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Heating reduces RH, cooling increases RH (day/night variation and concept of dew point and frost point)

Parcel rise of fall ('adiabatic') results in condensation or evaporation





Homogeneous Nucleation Drop of pure water forms from vapour

Heterogeneous Nucleation

Collection of water molecules on a foreign substance





Homogeneous Nucleation



There are a lot of molecule in the air in supersaturation, in order to create a drop the molecule need to become attached to each other

Water vapor molecules Embryonic droplet of radius R

Growth of the pure water embryo depend on the difference between e_s and e



When the pure water embryo drop radius is $\mathbf{e} = \mathbf{e}_s$ The droplet is just large enough to be stable





Saturation above a pure water droplet of a know radius is:

- r- embryo drop radius
- *T* temperature

 $\frac{e}{e_s} = exp \left[\frac{2\sigma_{LV}}{n_L kTr} \right]$

- k- Boltzmann constant
- σ_{LV} surface tension of water molecules
- e vapor pressure of environment
- e_s vapor pressure of saturated environment (water molecules)
- n_L number of water molecules/unit volume in the liquid phase

$$e/e_s < 1$$
 sub-saturated $e/e_s > 1$ super-saturated

- $e < e_s$ decay (vapor moves away from the drop)
- $e > e_s$ growth (vapor moves toward the drop)



Homogeneous Nucleation



- Kelvin's equation for critical radius for initial droplet to "survive", strongly dependent on supersaturation
 - R_c critical radius
 - ρ_L liquid density
 - *T* temperature

$$R_{c} = \frac{2\sigma_{vl}}{R_{v}\rho_{L}T\ln\left(\frac{e}{e_{s}}\right)}$$

- R_v gas constant (8.314472JK⁻¹mol⁻¹)
- e vapor pressure of environment
- e_s vapor pressure of saturated environment
- σ_{LV} surface tension between the liquid-vapor phases (0.076Jm⁻²)





TABLE: Radii and Number of Molecules in Droplets ofPure Water in Equilibrium with the Vapor at 0°

Saturation Ratio	Critical Radius r _c (μm)	Number of Molecules n
10	5.221 X 10 ⁻⁴	20
5	7.468 X 10 ⁻⁴	58
4	8.671 X 10 ⁻⁴	91
3	1.094 X 10 ⁻³	183
2	1.734 X 10 ⁻³	730
1.5	2.964 X 10 ⁻³	3.645 X 10 ³
1.10	1.261 X 10 ⁻²	2.807 X 10 ⁵
1.01	1.208 X 10 ⁻¹	2.468 X 10 ⁸
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Smaller pure drop need higher supersaturation, and less molecules in order to grow.





- Statistical thermodynamic calculations show that Saturation ratio must be 300-600% for one homogeneous nucleation event per cm³ per second in the natural atmosphere.
- Since Saturation ratio rarely exceeds 1-2%,



Homogeneous nucleation is never consistently achieved.



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In this section we will examine the production of small water droplets nucleated with the aid of a foreign particle.

Since nucleation takes place with something in addition to pure water vapor, the nucleation process is called *heterogeneous*.



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For a water molecule in the salt solution which is inside a water drop just like before:

 $\frac{e'}{e_s} = f \qquad \begin{array}{l} e' \text{ - vapor pressure of water vapor above a solution.} \\ e_s \text{ vapor pressure above a plane surface of pure water.} \\ f \text{ - mole fraction of water in the solution.} \end{array}$

 $f = \frac{\text{moles water}}{\text{moles water} + \text{moles salt}},$

moles water is:	$(4/3\pi r^{3}\rho' - m)/M_{0}$	m = mass of salt in solution	
moles salt is:	im _s /M	M = molecular weight of the salt M_0 = molecular weight of water i = Van't Hoff factor	
() ()		r	

$$= \frac{(4/3\pi r^3\rho' - m_s)/M_0}{(4/3\pi r^3\rho' - m_s)/M_0 + im_s/M} = \left[1 + \frac{im_sM_0}{M(4/3\pi r^3\rho' - m_s)}\right]^{-1}$$



Solution Effect (Raoult's Law)







FIGURE 17.3 Variation of water vapor pressure ratio (p_s^3/p°) as a function of the solute mole fraction at 25°C for solution of NaCl and $(NH_4)_2SO_4$ and an ideal solution. The mole fraction of the salts has been calculated taking into account their complete dissociation.

FIGURE 17.4 Variation of water vapor pressure ratio (p_s°/p°) as a function of the salt molality (mol of salt per kg of water) of NaCl and (NH₄)₂SO₄ at 25°C.

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The vapor pressure of water over NaCl and (NH4)2SO4 solutions is shown in Figure 17.3. Also shown is the ideal solution behavior. Note that because NaCl dissociates into two ions, the number of equivalents in solution is twice the number of moles of NaCl. For (NH4)2SO4, the number of ions in solution is three times the number of dissolved salt moles. In calculating the number of moles in solution, *ns*, a dissociated molecule that has dissociated into *i* ions is treated as *i* molecules, whereas an undissociated molecule is counted only once. A similar diagram is given in Figure 17.4, using now the concentration of salt as the independent variable. Solutes that dissociate (e.g., salts) reduce the vapor pressure of water more than do solutes that do not dissociate, and this reduction depends strongly on the type of salt.







 The saturation ratio for a solution droplet must still be given by this relation since we must require the droplet to be in equilibrium with the vapor

$$\frac{e_r}{e_s} = exp\left[\frac{2\sigma'}{n'_L kTr}\right] \left[1 + \frac{im_s M_0}{(4/3\pi r^3 \rho' - m_s) \times M}\right]^{-1}$$

For sea salt $\longrightarrow \frac{e_r}{e_s} = exp\left(\frac{A}{r} - \frac{B}{r^3}\right)$

$$A = \frac{2\sigma}{\rho_{\rm w}} R_{\rm v} T \qquad B = \frac{3im_{\rm s}}{M_{\rm w}} \frac{10^{-5}}{4\pi M_{\rm s}} \rho_{\rm w}$$
$$A \approx \frac{3.3 \times 10^{-5}}{T} (\text{cm}) \qquad B \approx 4.3 \frac{im_{s}}{M_{s}} (\text{cm}^{3})$$

r- drop radius m_s - masses of salt M_s – molecular weight i = Van't Hoff factor

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Saturation rate as a function of the drop size

$$S = \frac{e_r}{e_s} = 1 + \frac{A}{r} - \frac{B}{r^3}$$

 e_r -Vapor pressure

 e_s - saturation vapor pressure over a plane surface of pure water.

RH (Relative Humidity)= $s \times 100\%$ Supersaturation = S= (s + 1)





Kelvin Köhler curve



If we plot the saturation with r for a given salt type and salt mass, we obtain a set of curves known as the **Köhler curves**.



FIG. 6.2. Equilibrium saturation ratio of a solution droplet formed on an ammonium sulfate condensation nucleus of mass 10^{-16} g.

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- A drop at point <u>a</u> (r=r_a, S=S_a). Let the Supersaturation to increases to S_b, the drop will grow to radius r_b. If the Supersaturation drops again, the drop will get smaller.
- But if the Supersaturation will increase to the critical Supersaturation condition (r=r*, S=S*) the drop will grow to a critical radius.
- From now on the drop will continue growing spontaneously (by diffusion), even if the Supersaturation decrease.



Haze and cloud drop -Köhler curves





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Drop below the critical radius called haze particle Drop above the critical radius called clouds drop their aerosol are activated aerosol





Köhler curves









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Bigger particle are more effective than small ones, but their concentration in the cloud is lower







SS vs. Critical Diameter

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Mass of dissolved salt [gr]	r _{salt} [µm]	r*[µm]	S*[%]
10 ⁻¹⁶	0.0223	0.19	0.42
10 ⁻¹⁵	0.0479	0.61	0.13
10 ⁻¹⁴	0.103	1.9	0.042
10 ⁻¹³	0.223	6.1	0.013
10 ⁻¹²	0.479	19	0.0042

 $r^* \uparrow$, $S^* \downarrow$ as dry particle diameter (or mass) increases $r^* \downarrow$, $S^* \uparrow$ as dry solute molecular weight increases





Most atmospheric particles contain both water-soluble and waterinsoluble substances (dust, elemental carbon, etc.).

The effect of the insoluble material is to increase in absolute terms the solute effect. Physically, the insoluble material is responsible for part of the droplet volume, displacing the equivalent water. Therefore, for the same overall droplet diameter, the solution concentration will be higher and the solute effect more significant.

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Köhler curves for a particle consisting of various combinations of $(NH_4)_2SO_4$ and insoluble material

We see that the smaller the water-soluble fraction the higher the supersaturation needed for activation of the same particle, and the lower the critical diameter.







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The smaller the \mathcal{E}_m the higher the supersaturation needed for activation of the same particle size





The ability of a given particle to serve as a nucleus for water droplet formation will depend on its:

- Size
- Chemical composition
- Local supersaturation

Aerosol that consider as a "good candidate" for condensation nuclei are:

- Hygroscopic aerosol.
- Bigger Aerosol with a critical radius can nucleate at low supersaturation (according to Köhler curve)

Hygroscopic aerosol can be larger than $\sim 0.01 \ \mu m$ in order to nucleate.



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Cloud Condensation Nucleus Counter (CCNC)



The CCN Counter is a continuous-flow thermalgradient diffusion chamber for measuring aerosols that can act as cloud condensation nuclei.



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http://acd.ucar.edu/~jimsmith/POP/instruments_files/CCNc.htm

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http://www.dropletmeasurement.com/



Cloud Condensation Nucleus Counter (CCNC)





- Water vapor is saturated at the column wall at all points.
- Diffusing heat originates at Point A, while diffusing mass originates at Point B.
- The actual partial water pressure of water vapor at C equals the partial pressure of water vapor at B.
- However, the temperature at C is lower than at B, meaning there is more water vapor than thermodynamically allowed.



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Initial size is selected with a DMA

Supersaturation due to T gradient used for activation







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 $n(D_p)$ - number distribution of the aerosol population D_s - activation diameter for s% supersaturation of these particles $f_s(D_p)$ - fraction of the aerosol particles of diameter D_p that are activated at s%







Historically, one counted aerosol and determined number activated as a function of s (atmospheric supersaturation, %).

Relationship: CCN (s) = $c s^k$





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Account for Composition - k - Köhler equations



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The saturation ratio, S, over an aqueous solution droplet can be calculated from

$$S = a_w \exp\left(\frac{4\sigma_{s/a}M_w}{RT\rho_w D}\right)$$

where a_w is the activity of water in solution, ρ_w is the density of water, M_w is the molecular weight of water, $\sigma_{s/a}$ is the surface tension of the solution/air interface, R is the universal gas constant, T is temperature, and D is the diameter of the droplet.

PK07 proposed a hygroscopicity parameter that is defined through its effect on the water activity of the solution: $\frac{1}{a_w} = 1 + \kappa \frac{V_s}{V_w}$,

where Vs is the volume of the dry particulate matter (both soluble and insoluble) and Vw is the volume of the water.

$$D_d^3 = 6V_s/\pi$$
 and $D^3 = 6V_T/\pi$



$$S(D) = \frac{D^3 - D_d^3}{D^3 - D_d^3(1 - \kappa)} \exp\left(\frac{A}{D}\right)$$

where A=8.69251×10⁻⁶ $\sigma_{s/a}$ /T is a constant that is evaluated at $\sigma_{s/a}$ =0.072 Jm⁻² and T =298.15K (PK07)



Fig. 2. Predicted CCN activity for single- and two-component mixtures. Blue: assumed hygroscopicity and solubility of dominant component, succinic acid having κ =0.23 and *C*=0.056. Solid line: pure component; activation proceeds based on the deliquescence RH, which is determined by the water activity of the saturated solution. Dashed lines: addition of 0.2% and 2% by volume of sodium chloride. Red: hygroscopicity and solubility of calcium carbonate, κ =0.97 and *C*=2.3×10⁻⁶. Solid line: pure component. Dashed line: addition of 0.1% by volume of sodium chloride.

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Lower k indicate on less hygroscopic or less CCN activity

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> **Figure 5.** Critical supersaturation as a function of size for drygenerated ATD. Raw data (black) are shown along with charge corrections (magenta) and charge and shape corrections (green). Dashed cyan curves are lines of constant κ . Particle sizes are corrected for their non-spherical shape by estimating their surface area from EM. After shape correction, particles are classified by their surface area equivalent diameters instead of by their mobility diameters. The y-error bars indicate the standard deviation of measured supersaturation. The x-error bars indicate the range of possible values of surface area equivalent diameter as observed with EM.



Garimella et al. 2014 ACP



Until now we only create small cloud drop



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As result of the raising air and cooling the droplets are going through:

- 1.Evaporation
- 2.Gravity
- 3. Condensation
- 4. Collision-coalescence

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- 1 mm drop is a product of 100,000 Collisions and Coalescences
- In order for the Collision Coalescence process to be effective, a minimum 20 µm drop is needed. From this size the drop can collect smaller drops.



Figure by MIT OpenCourseWare

- For 30 μ m drop collision is the main growing process.
- Larger particles sweep out smaller cloud droplets.



Questions?





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